

Emmanouil Antonios Platanios
e.a.platanios@cs.cmu.edu

Mrinmaya Sachan
mrinmays@cs.cmu.edu

Graham Neubig
gneubig@cs.cmu.edu

Tom M. Mitchell
tom.mitchell@cs.cmu.edu

Problem

Translate from one language to another.

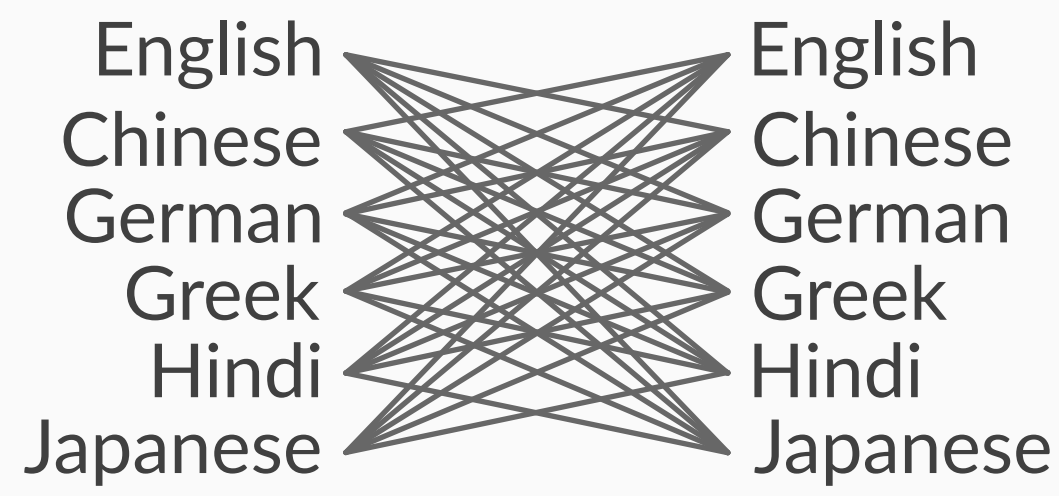


A multilingual MT system can translate between any pair of languages.

Assuming L languages and P parameters in a pairwise MT model, we can use:

PAIRWISE

Separate model per language pair:

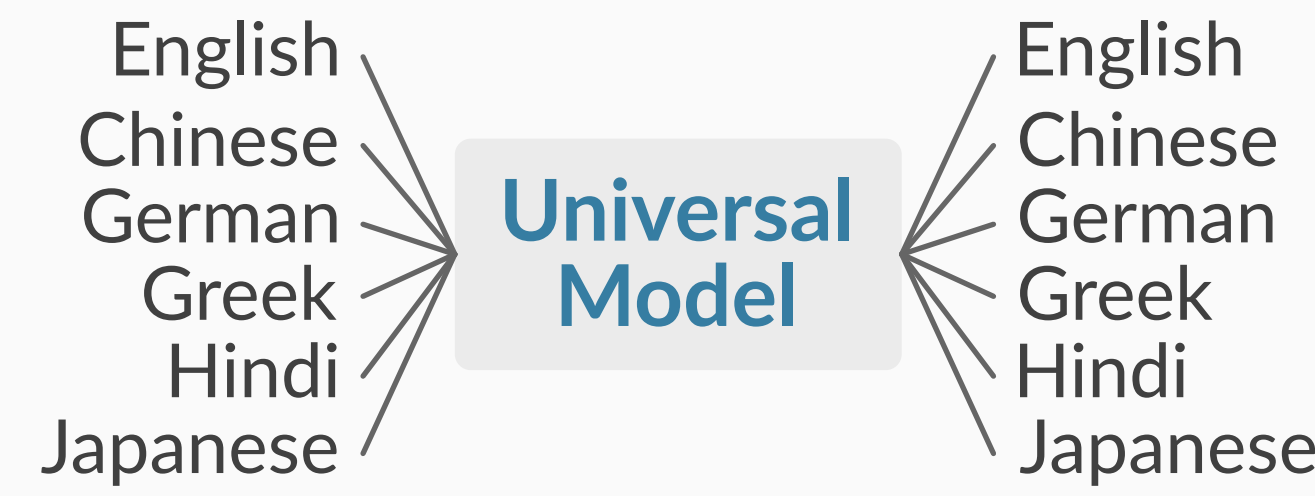


- $O(L^2P)$ parameters
- No parameter sharing
- Bad for limited/no training data

UNIVERSAL

[Ha16, Johnson17]

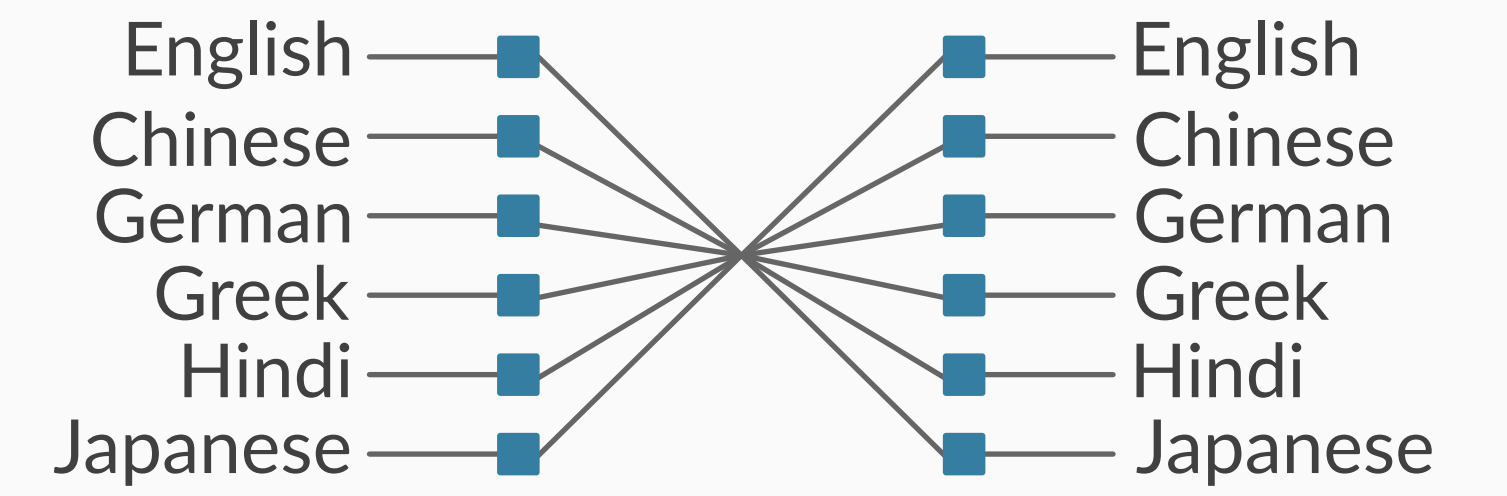
One shared model:



- $O(P)$ parameters
- Lacks language-specific parameterization

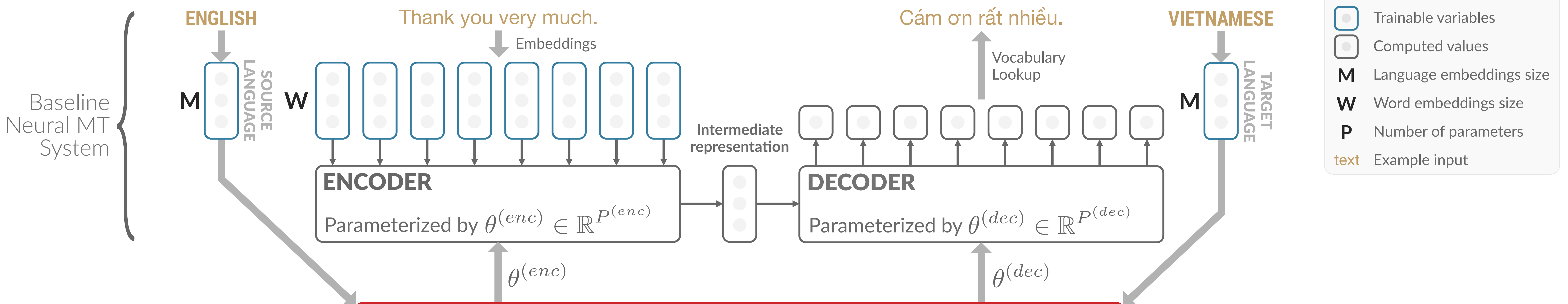
PER-LANGUAGE ENCODER/DECODER

[Luong16, Firat16]



- $O(LP)$ parameters
- Limited parameter sharing and use of attention difficult

Proposed Approach



LEGEND

- Trainable variables
- Computed values
- M** Language embeddings size
- W** Word embeddings size
- P** Number of parameters
- text Example input

FEATURES

- Scalable**
Constant number of parameters - $O(MP)$
- Simple & Multilingual**
Can be applied to most existing NMT systems with minor changes.
- Semi-Supervised**
Can use monolingual data by learning to translate back-and-forth → Learn language embeddings that encode meaningful priors / language models.
- Zero-Shot**
Can translate between unsupervised pairs of languages, as long as the languages have been seen in any supervised pairs.
- Adaptable**
Given a trained model, can adapt to support a new language by just learning the language embedding and fixing the rest of the model.

PARAMETER GENERATOR

Generates model parameters at inference time, given some context.

The source and target language represent the context in which translation happens:

$$\theta^{(enc)}, \theta^{(dec)} = g\left(\begin{matrix} \text{SOURCE} \\ \text{TARGET} \end{matrix}\right) = \mathbf{P}$$

We also decouple the encoder and the decoder, thus getting closer to a potential *intelingua*:

$$\theta^{(enc)} = g^{(enc)}\left(\begin{matrix} \text{SOURCE} \\ \text{TARGET} \end{matrix}\right)$$

$$\theta^{(dec)} = g^{(dec)}\left(\begin{matrix} \text{SOURCE} \\ \text{TARGET} \end{matrix}\right)$$

We choose to make g linear for simplicity and interpretability

We learn language embeddings

$$\mathbf{l}_s, \mathbf{l}_t \in \mathbb{R}^M$$

$$g^{(enc)}(\mathbf{l}_s) \triangleq \mathbf{W}^{(enc)} \mathbf{l}_s$$

$$g^{(dec)}(\mathbf{l}_t) \triangleq \mathbf{W}^{(dec)} \mathbf{l}_t$$

For each language, the parameters are defined as a linear combination of the M columns of a weight matrix \mathbf{W} , which makes for better interpretability.

OBSERVATIONS

- The parameters often have some "natural grouping" (e.g., first layer weights).
- Language embeddings represent all language-specific information and may need to be large.
- Only a small part of this information is relevant for each "group".

CONTROLLED SHARING

Let $\theta^{(enc)} = \{\theta_j^{(enc)}\}_{j=1}^G$, where $\theta_j^{(enc)} \in \mathbb{R}^{P_j^{(enc)}}$, and G is the number of groups. Then:

$$\theta_j^{(enc)} \triangleq \mathbf{W}_j^{(enc)} \mathbf{P}_j^{(enc)} \mathbf{l}_s$$

where:

$$\mathbf{W}_j^{(enc)} \in \mathbb{R}^{P_j^{(enc)} \times M'}$$

$$\mathbf{P}_j^{(enc)} \in \mathbb{R}^{M' \times M}$$

and $M' < M$, and similarly for the decoder.

- ↑ M ⇔ ↑ Per-Language Information
- ↑ M' ⇔ ↑ Shared Information

Our contribution does not depend on the choice of g . It would be interesting to design models that can use side-information about the languages, that may be available.

- PAIRWISE:** g picks a different parameter set based on the language pair
- UNIVERSAL:** g picks the same parameters for all languages
- PER-LANGUAGE:** g picks different enc/dec parameters based on the languages

The proposed abstraction is a generalization over previous methods

Experiments

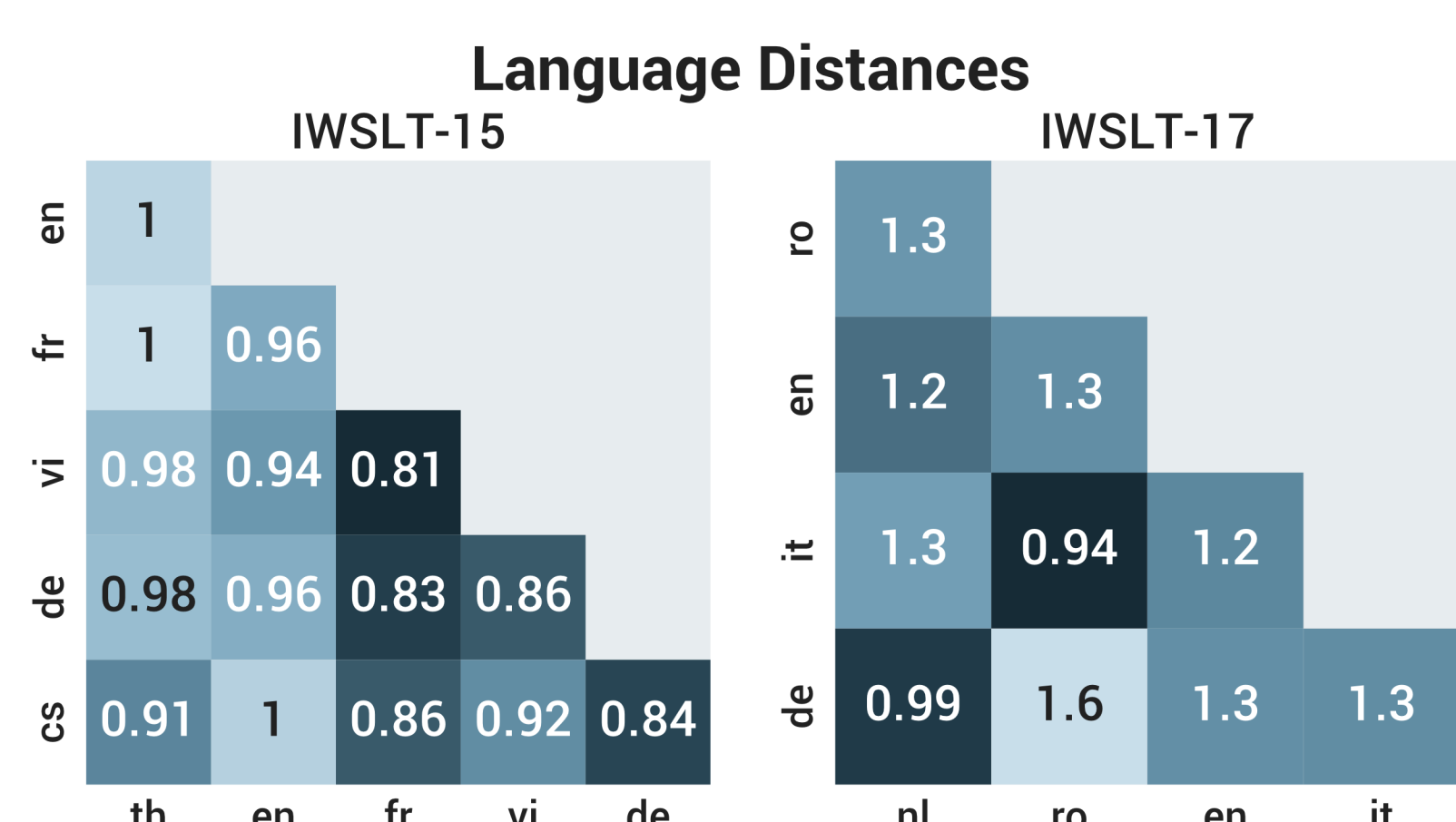
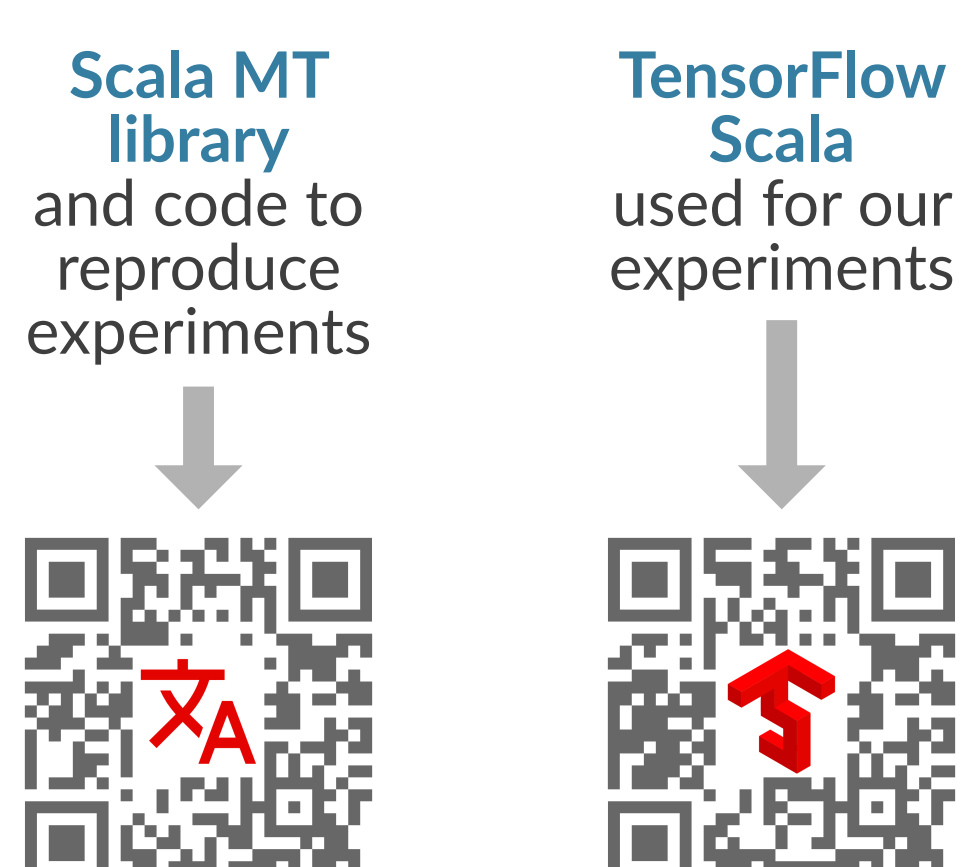
Baseline Model

- 2-layer bidirectional LSTM encoder
- 2-layer LSTM decoder
- 512 units per layer / word embedding size
- Per-language vocabulary
- 20,000 most frequent words — no BPE

Settings

- *Supervised:* Train using full parallel data
- *Low-Resource:* Limit the size of the parallel data
- *Zero-Shot:* No parallel data for some language pairs

All experiments were run on a machine with a single Nvidia V100 GPU, and 24 GBs of system memory. The longest experiment required ~10 hours.



IWSLT-15

	Pairwise models	Google Multilingual	Trained without auto-encoding
	PNMT	GML	CPG ⁸ CPG ⁸
En→Cs	14.89	15.92	16.88
Cs→En	24.43	25.25	26.44
En→De	25.99	25.92	26.41
De→En	30.93	29.60	31.24
En→Fr	38.25	34.40	38.10
Fr→En	37.40	35.14	37.11
En→Th	23.62	22.22	26.03
Th→En	15.54	14.03	16.54
En→Vi	27.47	25.54	28.33
Vi→En	24.03	23.19	25.91
Mean	26.26	24.12	27.80
En→Cs	5.71	8.18	8.40
Cs→En	6.64	14.56	14.81
En→De	11.70	14.60	15.09
De→En	18.10	19.02	19.77
En→Fr	24.47	25.15	24.00
Fr→En	23.79	25.02	24.55
En→Th	7.86	15.58	18.41
Th→En	7.13	9.11	10.19
En→Vi	18.01	17.51	18.92
Vi→En	6.69	16.00	16.86
Mean	13.01	16.47	17.76

~90,000-220,000 train / ~500-900 val / ~1,000 test

IWSLT-17

	Pairwise models	Google Multilingual	Trained without auto-encoding
	PNMT	GML	CPG ⁸ CPG ⁸ CPG ⁶⁴ CPG ⁶⁴
De→En	21.78	21.25	22.56
De→It	13.16	13.84	14.73
De→Ro	10.85	11.95	12.24
En→De	19.75	17.06	19.41
En→It	27.70	25.74	27.57
En→NI	24.41	22.46	24.47
En→Ro	19.23	18.60	20.83
It→De	14.39	12.76	14.61
It→En	29.84	27.96	30.62
It→NI	16.74	16.27	17.99
NI→En	26.30	24.78	26.31
NI→It	16.03	16.10	16.81
NI→Ro	12.84	12.48	14.01
Ro→De	12.75	12.21	13.58
Ro→En	24.33	22.88	23.83
Ro→NI	13.70	14.11	15.34
Mean	18.99	18.15	19.68
De→NI	12.75	12.50	12.74
It→Ro	9.97	9.57	10.57
NI→De	11.32	10.47	11.52
Ro→It	11.69	10.82	11.51
Mean	11.43	10.84	11.51

~220,000 train / ~900 val / ~1,100 test